SECTION A

Answer any THREE questions from this section.

1.	(a)	State three general requirements of any power protection system.	(3 marks)	
	(b)	With aid of a diagram, describe the graded time protection in power systems.		
		(ii) Explain three disadvantages of the protection system in (b)	(i). (12 marks)	
T. Congression of the Congressio	(c)	Draw a labelled equivalent circuit diagram of a magnetic core balar scheme.	a labelled equivalent circuit diagram of a magnetic core balance protection ne. (5 marks)	
2.	(a)	State four types of power line faults.	(4 mørks)	
	(b)	With aid of phasor diagrams, explain the following:		
		(i) positive phase sequence;(ii) negative phase sequence;(iii) zero phase sequence.	(6 marks)	
	(c)	Determine the values of the positive phase sequence of symmetrical components of a system of currents; $I_R = 300 \angle 0^\circ$, $I_Y = 400 \angle 240^\circ$ and $I_B = 200 \angle 90^\circ$. The phase sequence is RYB. (10 marks)		
3.	(a)	State three classifications of transmission lines.	(3 marks)	
	(b)	With respect to overhead transmission lines:		
		(i) Explain the term 'voltage surge';		
		(ii) Outline three causes of voltage surges.	(5 marks)	
	(c)	With aid of a diagram, explain the operation of the Peterson coil.	(7 marks)	
	(d)	An overhead transmission line having an inductance of 1.28 mH per km and a capacitance of 0.00602 μF per km is connected in series with an underground cable having an inductance of 0.167 mH per km and a capacitance of 0.201 μF per km. Determine the surge velocities in:		
		(i) transmission line;(ii) underground cable.	(5 marks)	

4. (a) State **four** types of conductor vibrations.

(4 marks)

(b) Explain the importance of the synchronous phase modifier in transmission lines.

(3 marks)

(c) An overhead transmission line hangs in the form of a catenary

 $y = C \cosh \frac{x}{c}$, where C = 1025 m and x is half the span.

The span is 205 m and the conductor mass is 1.39 kg per metre.

Determine the:

- (i) length of the conductor;
- (ii) sag.

(11 marks)

- (d) State **two** advantages of miniature circuit breakers over high rupturing capacity fuses. (2 marks)
- 5. (a) Explain 'steady state stability' with reference to power systems. (3 marks)
 - (b) (i) Describe the phenomena of corona in overhead transmission lines.
 - (ii) Outline **three** factors affecting corona.

(6 marks)

(c) A three phase 275 KV, 50 Hz transmission line is 40 km long. It consists of three conductors each of diameter 2.05 cm symmetrically spaced 2.66 m between centres. The barometric pressure is 76 cm of mercury and the temperature is $8^{\circ}C$. The irregularity factor is 0.72. Determine the total corona power loss in the line.

(11 marks)

SECTION B

Answer any TWO questions from this section.

6. (a) State **two** properties of a uniform plane wave.

(2 marks)

- (b) Using Maxwell's equations, derive the wave equation in free space for:
 - (i) \bar{E} ;
 - (ii) \bar{H}

(10 marks)

- (c) (i) Derive a relationship for \bar{E} and \bar{H} components for a uniform plane wave travelling in x-direction.
 - (ii) A TEM wave has an electric field intensity of 1 $\mu V/M$ and travels in a lossless media of relative permittivity of 5. Determine the magnetic field intensity.

(8 marks)

- 7. (a) Distinguish between wave propagation and wave polarization in electromagnetic fields. (4 marks)
 - (b) For a wave propagating in a conducting medium, show that:

$$\beta = \frac{\omega\mu\delta}{2\alpha}$$
, where

 β = Phase constant (wave number)

 μ = Absolute permeability

 δ = Conductivity of medium

 α = Attenuation constant

 ω = Angular velocity

(7 marks)

- (c) Derive Poynting's equation for the total power dissipated per unit volume in a wave.

 (9 marks)
- 8. (a) Write the word statements for each of the Maxwell's equations in time varying fields. (8 marks)
 - (b) State:
 - (i) **two** sources of electromagnetic radiations (EM);
 - (ii) one application for each of the following EM radiations:
 - (I) x-rays;
 - (II) Gamma-rays.

(4 marks)

(c) Verify Gauss divergence Theorem for a vector field

$$D = \rho^2 Cos^2 \phi \hat{a}_e + Z \sin \phi \hat{a}_\phi$$

over any closed surface bounded by $\rho = 4$, $0 \le Z \le 1$

(8 marks)

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